



QUARTZ

Quantum Information Access and Retrieval Theory

Dynamic content monitoring and exploration using vector spaces

Benyou Wang

University of Padua

Supervised by Massimo Melucci and Emanuele Di Buccio

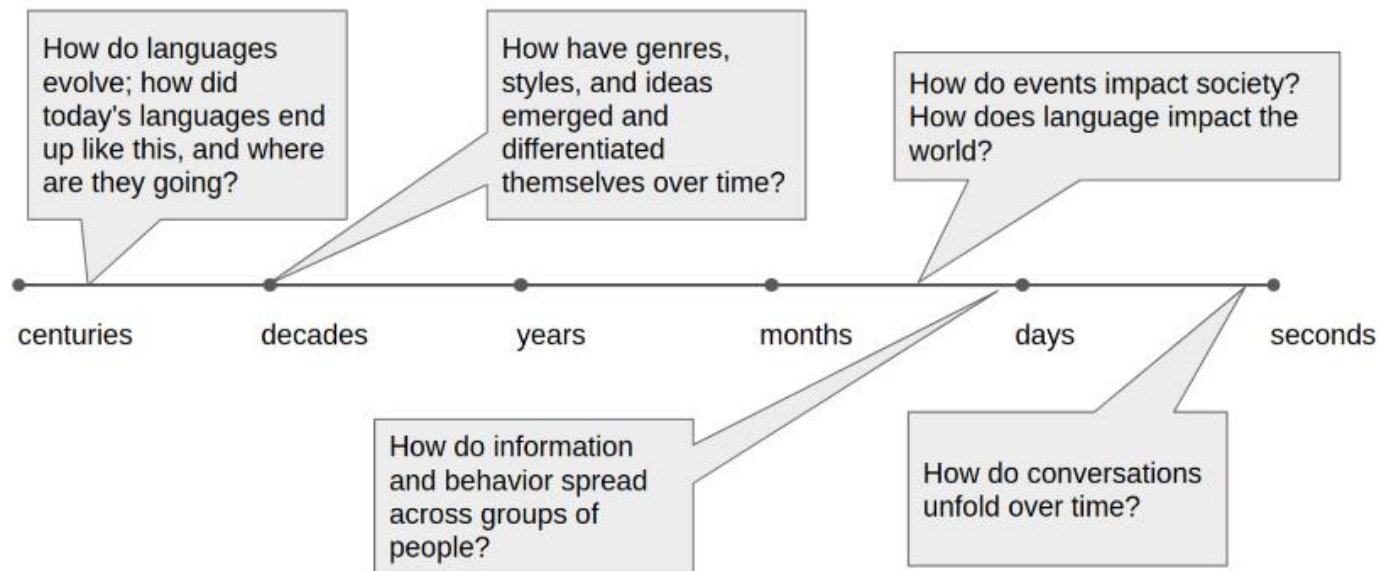
SIGIR DC, Paris, France, 07/2019

Dynamics

- Sequential data
- Language model and Language generation
- Historical corpora (Google book, ArXiv paper collections)
- Conversation/dialogue
- Recommendation with historical interactions
- Video tracking
- Electrical Healthy records

Focusing on **textual** problem

Taxonomy in textual applications



Eisenstein, Jacob. "Measuring and Modeling Language Change." *Proceedings of the 2019 Conference of the North American Chapter of the Association for Computational Linguistics: Tutorials*. 2019.

Why vector spaces?

- ✓ Well-defined properties of vector space and it is naturally used in IR (VSM in IR).
- ✓ Representing words in vector space is a commonly-used paradigm in textual problems [1]

Currently, there is some shortage in modelling dynamic aspects in vector space

[1] Mikolov, Tomas, et al. "Efficient estimation of word representations in vector space." *arXiv preprint arXiv:1301.3781* (2013).

Methods

Inner dynamics

In-between dynamics

high-dimensional dynamics

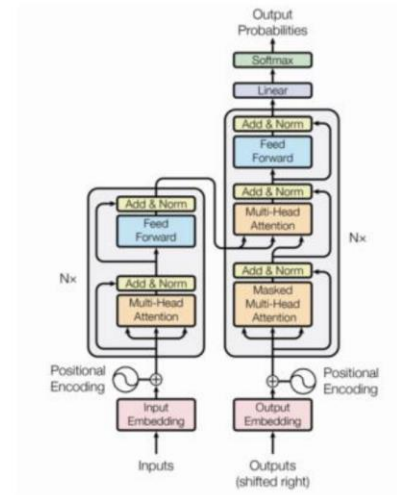
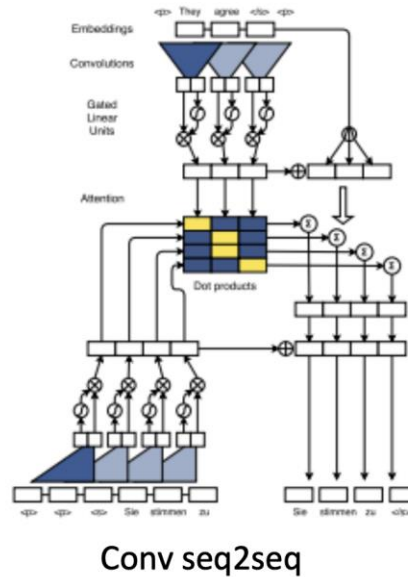
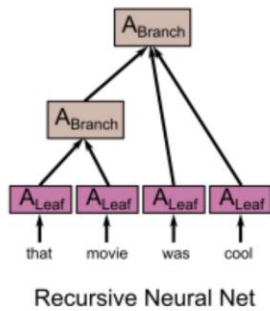
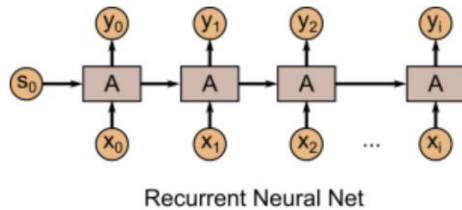
✓ **Sequence-sensitive vector space**

✓ Evolved vector space

✓ Extended high-dimensional vector space

Inner dynamics - Encoding order for a single vector

- Problems: position-sensitive vector **without** recurrent architectures

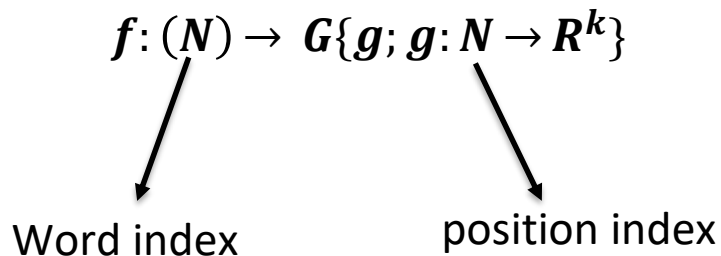


Inner dynamics - Encoding order for a single vector

Previous methods : Position Embedding (PE) + Word Embedding (WE)
 $f: (N, N) \rightarrow \mathbf{R}^k$, e.g., $PE(pos_i) + WE(w_j)$ or $[PE(pos_i); WE(w_j)]$

Extending embedding from a **vector** to a **continuous function** over variable the position (pos)

Technically, $f: (N, N) \rightarrow \mathbf{R}^k$ To



Now the question becomes *how to decide the function*

Properties for f

Now, for a specific word w , we have to get its embedding over all the positions, namely a function $g_w: N \rightarrow R^k$

Property 1: Invariant relative-distance transformation

With the any linear transformation f_{ij} , s. t. $f_{ij}(g_w(pos_i)) = g_w(pos_j)$, one should know whether pos_i is in front of pos_j , as well as how far is between pos_i and pos_j , no matter how big pos_i and pos_j is.

Property 2: Boundedness

The function g_w should be bounded, in order to model long-enough sentence

Encoding order in complex embedding

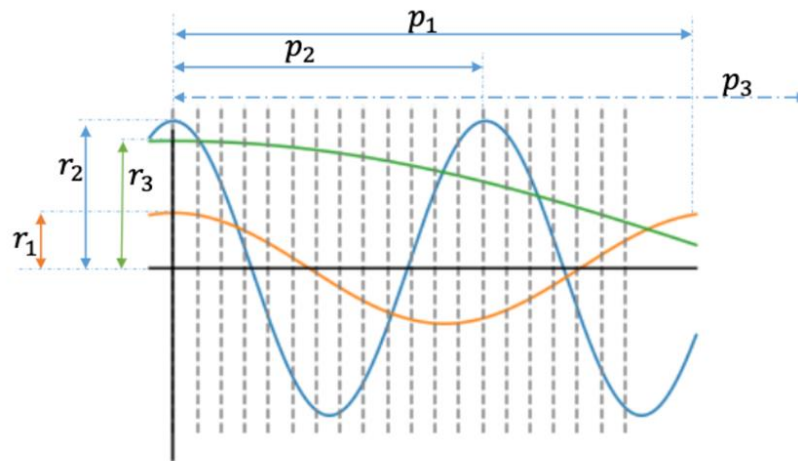
The **only** solution of $g_w: N \rightarrow \mathbf{R}^k$ to meet the previous properties is

$$g_w(pos) = \mathbf{W}E_w \odot e^{i \cdot pos \cdot \lambda}$$

For the k -th dimension, $[g_w(pos)]_k = \mathbf{W}E_{w,k} \cdot e^{i \cdot period_k \cdot pos}$

With Euler's formula, we can get

$$[g_w(pos)]_k = WE_{w,k} \cdot [\cos(period_k \cdot pos) + i \sin(period_k \cdot pos)]$$



Methods

- ❑ Inner dynamics
- ❑ **In-between dynamics**
- ❑ high-dimensional dynamics
- ✓ Sequence-sensitive vector space
- ✓ **Evolved vector space**
- ✓ Extended high-dimensional vector space

Quantum probability

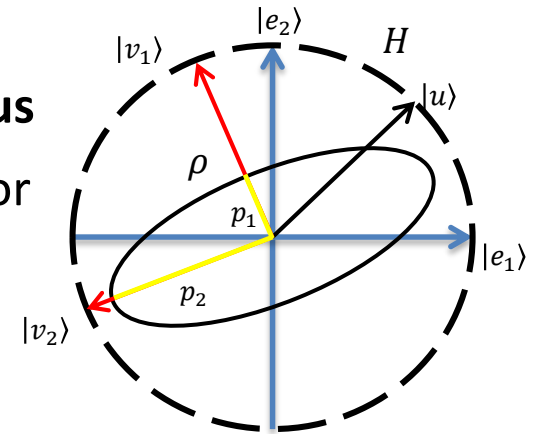
- Classical probability

- Set-based probability theory
- Events are limited to be discrete and mutually-exclusive

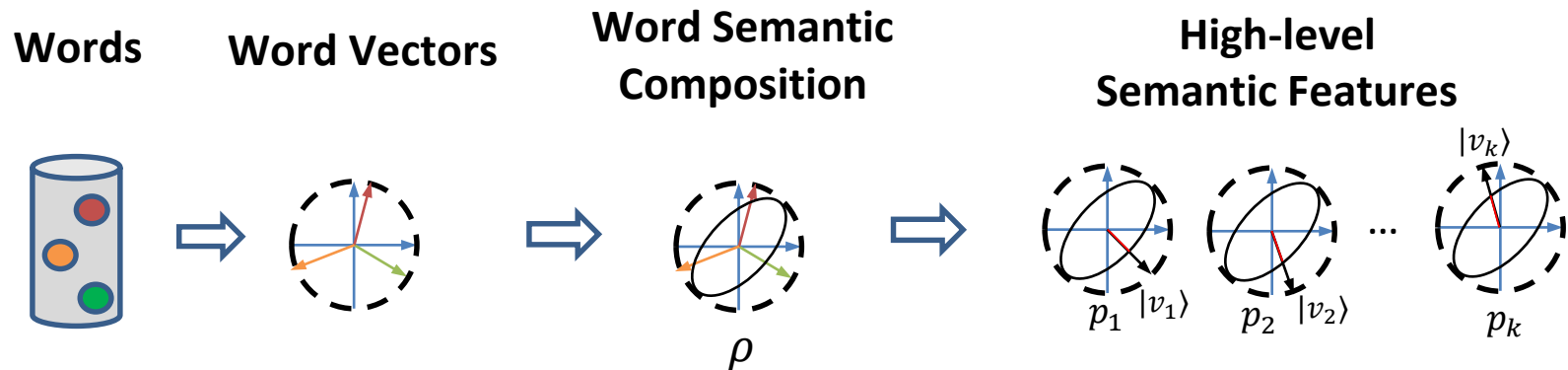


- Quantum probability

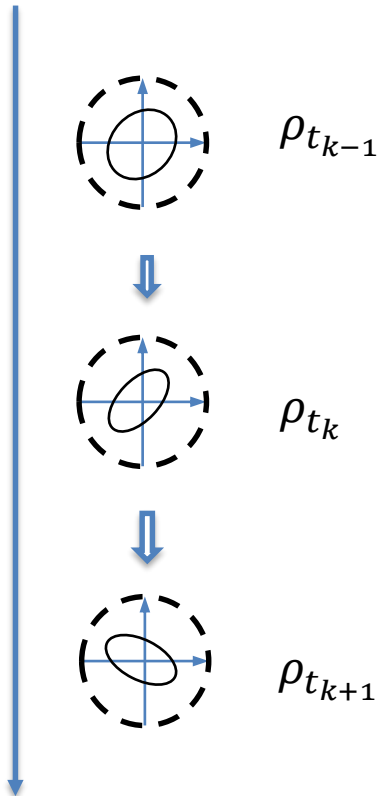
- Projective geometry based probability theory
- Events, which is defined in a complex **continuous** vector space, can be represented as arbitrary vector



Density matrix in vector space



Evolved density matrix



$\rho_{t_{k-1}}$

ρ_{t_k}

$\rho_{t_{k+1}}$

$$\rho_{t_{k+1}} = u\rho_{t_k}u^*, \text{ where } u \text{ is unitary}$$

$$\frac{d\rho_{t_k}}{dt} = f(\rho, t_k)$$

Historical corpora
Dialogue system

Advantages of Evolved density matrix

- Better interpretability from quantum probability [1]
- Better optimization based on unitary transformation [2]
- Linking with neural (Schrödinger) differential equation [3]

[1] Li, Qiuchi *, **Benyou Wang** *, and Massimo Melucci. "CNM: An Interpretable Complex-valued Network for Matching." NAACL. 2019. **Best explainable NLP paper**

[2] Arjovsky, Martin, Amar Shah, and Yoshua Bengio. "Unitary evolution recurrent neural networks." *ICML*. 2016.

[3] Chen, Tian Qi, et al. "Neural ordinary differential equations." *NIPS*. 2018.

Future works

- Investigating the dynamic aspects in high-dimensional vector space, i.e., tensor space

Correspondence between languages of Tensor Analysis and Deep Learning.

Tensor Decompositions	Deep Learning
CP-decomposition	shallow network
TT-decomposition	RNN
HT-decomposition	CNN
rank of the decomposition	width of the network

Publications

1. Qiuchi Li*, **Benyou Wang***, Massimo Melucci. A Complex-valued Network for Matching. **NAACL 2019, Best Explainable NLP Paper**
2. **Benyou Wang***, Qiuchi Li*, Massimo Melucci, Dawei Song. Semantic Hilbert Space for Text Representation Learning. **WWW 2019**
3. Wei Zhao*, **Benyou Wang***, Min Yang, Jianbo Ye, Zhou Zhao, Xiaojun Chen, Ying Shen.. Leveraging Long and Short-term Information in Content-aware Movie Recommendation via Adversarial Training. **IEEE Transactions on Cybernetics (TOC)**, 2019
4. Peng Zhang, Zhan Su, Lipeng Zhang, **Benyou Wang** , Dawei Song. 2018. A Quantum Many-body Wave Function Inspired Language Modeling Approach. **CIKM 2018**
5. Wei Zhao, **Wang Benyou** , Jianbo Ye, Yongqiang Gao, Min Yang, Xiaojun Chen, PLASTIC: Prioritize Long and Short-term Information in Top-n Recommendation using Adversarial Training, **IJCAI 2018**
6. Wei Zhao, **Wang Benyou** , Jianbo Ye, Min Yang, Zhou Zhao, Ruotian Luo, Yu Qiao A Multi-task Learning Approach for Image Captioning, **IJCAI 2018**
7. Zhang Peng, Niu Jiabing, Su Zhan, **Wang Benyou** et al. End-to-End Quantum-like Language Models with Application to Question Answering **AAAI 2018**
8. Wang Jun, Yu Lantao, Zhang Weinan, Gong Yu, Xu Yinghui, **Wang Benyou** , Zhang Peng, Zhang Dell. IRGAN: A Minimax Game for Unifying Generative and Discriminative Information Retrieval Models. **SIGIR 2017. Best Paper Award Honourable Mentions.**
9. Huang Xin, Wei zhao, Wang Benyou, Rui Zhao. Recommendation System and Deep Learning, Tsinghua University Press, in Chinese.

Thanks